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672

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# UTILITY STOCKS AND THE SIZE EFFECT: AN EMPIRICAL ANALYSIS

Annie Wong\*

## I. Introduction

The objective of this study is to examine whether the firm size effect exists in the public utility industry. Public utilities are regulated by federal, municipal, and state authorities. Every state has a public service commission with board and varying powers. Often their task is to estimate a fair rate of return to a utility's stockholders in order to determine the rates charged by the utility. The legal principles underlying rate regulation are that "the return to the equity owner should be commensurate with returns on investments in other enterprises having corresponding risks," and that the return to a utility should be sufficient to "attract capital and maintain credit worthiness." However, difficulties arise from the ambiguous interpretation of the legal definition of *fair and reasonable rate of return* to an equity owner.

Some finance researchers have suggested that the Capital Asset Pricing Model (CAPM) should be used in rate regulation because the CAPM beta can serve as a risk measure, thus making risk comparisons possible. This approach is consistent with the spirit of a Supreme Court ruling that equity owners sharing similar level of risk should be compensated by similar rate of return.

The empirical studies of Banz (1981) and Reinganum (1981) showed that small firms tend to earn higher returns than large firms after adjusting for beta. This phenomenon leads to the proposition that firm size is a proxy for omitted risk factors in determining stock returns. Barry and Brown (1984) and Brauer (1986) suggested that the omitted risk factor could be the differential information environment between small and large firms. Their argument is based on the fact that investors often have less publicly available information to assess the future cash flows of small firms than that of large

firms. Therefore, an additional risk premium should be included to determine the appropriate rate of return to shareholders of small firms.

The samples used in prior studies are dominated by industrial firms, no one has examined the size effect in public utilities. The objective of this study is to extend the empirical findings of the existing studies by investigating whether the size effect is also present in the utility industry. The findings of this study have important implications for investors, public utility firms, and state regulatory agencies. If the size effect does exist in the utility industry, this would suggest that the size factor should be considered when the CAPM is being used to determine the fair rate of return for public utilities in regulatory proceedings.

## II. Information Environment of Public Utilities

In general, utilities differ from industrials in that utilities are heavily regulated and they follow similar accounting procedures. A public utility's financial reporting is mainly regulated by the Securities and Exchange Commission (SEC) and the Federal Energy Regulatory Commission (FERC). Under the Public Utility Holding Company Act of 1935, the SEC is empowered to regulate the holding company systems of electric and gas utilities. The Act requires registration of public utility holding companies with the SEC. Only under strict conditions would the purchase, sale or issuance of securities by these holding companies be permitted. The purpose of the Act is to keep the SEC and investors informed of the financial conditions of these firms. Moreover, the FERC is in charge of the interstate operations of electric and gas companies. It requires utilities to follow the accounting procedures set forth in its Uniform Systems of Accounts. In particular, electric and gas utilities must request their Certified Public Accountants to certify that certain schedules in the financial reports are in conformity with the Commission's accounting requirements. These detailed reports are submitted annually and are open to the public.

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The FERC requires public utilities to keep accurate records of revenues, operating costs, depreciation expenses, and investment in plant and equipment. Specific financial accounting standards for these purposes are also issued by the Financial Accounting Standards Board (FASB). Uniformity is required so that utilities are not subject to different accounting regulations in each of the states in which they operate. The ultimate objective is to achieve comparability in financial reporting so that factual matters are not hidden from the public view by accounting flexibility.

Other regulatory reports tend to provide additional financial information about utilities. For example, utilities are required to file the FERC Form No. 1 with the state commission. This form is designed for state commissions to collect financial and operational information about utilities, and serves as a source for statistical reports published by state commissions.

Unlike industrials, a utility's earnings are predetermined to a certain extent. Before allowed earnings requests are approved, a utility's performance is analyzed in depth by the state commission, interest groups, and other witnesses. This process leads to the disclosure of substantial amount of information.

### III. Hypothesis and Objective

Due to the Act of 1935, the Uniform Systems of Accounts, the uniform disclosure requirements, and the predetermined earnings, all utilities are reasonably homogeneous with respect to the information available to the public. Barry and Brown (1984) and Brauer (1986) suggested that the difference of risk-adjusted returns between small and large firms is due to their differential information environment. Assuming that the differential information hypothesis is true, then uniformity of information availability among utility firms would suggest that the size effect should not be observed in the public utility industry. The objective of this paper is to provide a test of the size effect in public utilities.

### IV. Methodology

#### 1. Sample and Data

To test for the size effect, a sample of public utilities and a sample of industrials matched by equity value are formed so that their results can be compared. Companies in both samples are listed on the Center for Research in Security Prices (CRSP)

Daily and Monthly Returns files. The utility sample includes 152 electric and gas companies. For each utility in the sample, two industrial firms with similar firm size (one is slightly larger and the other is slightly smaller than the utility) are selected. Thus, the industrial sample includes 304 non-regulated firms.

The size variable is defined as the natural logarithm of market value of equity at the beginning of each year. Both the equally-weighted and value-weighted CRSP indices are employed as proxies for the market returns. Daily, weekly and monthly returns are used. The Fama-MacBeth (1973) procedure is utilized to examine the relation between risk-adjusted returns and firm size.

### 2. Research Design

All utilities in the sample are ranked according to the equity size at the beginning of the year, and the distribution is broken down into deciles. Decile one contains the stocks with the lowest market values while decile ten contains those with the highest market values. These portfolios are denoted by  $MV_1$ ,  $MV_2$ , ..., and  $MV_{10}$ , respectively.

The combinations of the ten portfolios are updated annually. In the year after a portfolio is formed, equally-weighted portfolio returns are computed by combining the returns of the component stocks within the portfolio. The betas for each portfolio at year  $t$ ,  $\hat{\beta}_{pt}$ 's, are estimated by regressing the previous five years of portfolio returns on market returns:

$$\tilde{R}_{pt} = \alpha_p + \hat{\beta}_{pt} \tilde{R}_{mt} + \tilde{U}_{pt} \quad (1)$$

where

$R_{pt}$  = periodic return in year  $t$  on portfolio  $p$

$R_{mt}$  = periodic market return in year  $t$

$U_{pt}$  = disturbance term.

Banz (1981) applied both the ordinary and generalized least squares regressions to estimate  $\beta$ ; and concluded that the results are essentially identical (p.8). Since adjusting for heteroscedasticity does not necessarily lead to more efficient estimators, the ordinary least squares procedures are used in this study to estimate  $\beta$  in equation (1).

The following cross-sectional regression is then run for the portfolios to estimate  $\gamma_{it}$ ,  $i = 0, 1$ , and  $2$ :

$$R_{pt} = \gamma_0 + \gamma_1 \hat{\beta}_{pt} + \gamma_2 \hat{S}_{pt} + U_{pt} \quad (2)$$

where

$\hat{\beta}_{pt}$  = estimated beta for portfolio p at year t, t=1968, ..., 1987

$\hat{S}_{pt}$  = mean of the logarithm of firm size in portfolio p at the beginning of year t

$U_{pt}$  = disturbance term.

Depending on whether daily, weekly or monthly returns are used, a portfolio's average return changes periodically while its beta and size only change once a year. The  $\gamma_1$  and  $\gamma_2$  coefficients are estimated over the following four subperiods: 1968-72, 1973-77, 1978-82 and 1983-1987. If portfolio betas can fully account for the differences in returns, one would expect the average coefficient for the beta variable to be positive and for the size variable to be zero. A t-statistic will be used to test the hypothesis. The coefficients of a matched sample are also examined so that the results between industrial and utility firms can be compared.

## V. Analysis of Results

### 1. Equity Value of the Utility Portfolios

The mean equity values of the ten size-based utility portfolios are reported in Table 1. Panels A and B present the average firm size of these portfolios at the beginning and end of the test period, 1968-1987. The first interesting observation from Table 1 is that the difference in magnitude between the smallest and the largest market value utility portfolios is tremendous. In Panel A, the average size of  $MV_1$  is about \$31 million while that of  $MV_{10}$  is over \$1.4 billion. In Panel B, that is twenty years later, they are \$62 million and \$5.2 billion, respectively. Another interesting finding is that there is a substantial increase in average firm size from  $MV_9$  to  $MV_{10}$ . Since these two findings are consistent over the entire test period, the average portfolio market values for interim years are not reported. These results are similar to the empirical evidence provided by Reinganum (1981).

The utility sample in this study contains 152 firms whereas Reinganum's sample contains 535 firms that are mainly industrial companies. Two conclusions may be drawn from the results of the Reinganum study and this one. First, utilities and industrials are similar in the sense that their market

values vary over a wide spectrum. Second, the fact that there is a huge jump in firm size from  $MV_9$  to  $MV_{10}$  indicates that the distribution of firm size is positively skewed. To correct for the skewness problem, the natural logarithm of the mean equity value of each portfolio is calculated. This variable is then used in later regressions instead of the actual mean equity value.

### 2. Betas of the Utility and Industrial Samples

The betas based on monthly, weekly and daily returns are reported for the utility and industrial samples. For simplicity, they will be referred to as monthly, weekly, and daily betas. In all cases, five years of returns are used to estimate the systematic risk. The betas estimated over the 1963-67 time period are used to proxy for the betas in 1968, which is the beginning of the test period. By the same token, the betas obtained from the time period 1982-86 are used as proxies for the betas in 1987, which is the end of the test period.

The betas from using the equally-weighted and value-weighted indices are calculated in order to check whether the results are affected by the choice of market index. Since the results are similar, only those obtained from the equally-weighted index are reported and analyzed.

Table 2 reports the monthly, weekly and daily betas of the two samples at the beginning and end of the test period. Panel A shows the various betas of the industrial portfolios. Two conclusions may be drawn. First, in the 1960's, smaller market value portfolios tend to have relatively larger betas. This is consistent with the empirical findings by Banz (1981) and Reinganum (1981). Second, this trend seems to vanish in the 1980's, especially when weekly and daily returns are used.

The betas of the utility portfolios are presented in Panel B. The table shows that none of the utility betas are greater than 0.71. A comparison between Panels A and B reveals that utility portfolios are relatively less risky than industrial portfolios after controlling for firm size. The comparison also reveals that, unlike industrial stocks, betas of the utility portfolios are not related to the market values of equity.

The negative correlation between firm size and beta in the industrial sample may introduce a multicollinearity problem in estimating equation (2). Banz (p.11) had addressed this issue and concluded that the test results are not sensitive to the

multicollinearity problem. For the utility sample, this problem does not exist.

### 3. Tests on the Coefficients of Beta and Size

The beta and firm size are used to estimate  $\gamma_1$  and  $\gamma_2$  in equation (2). A t-statistic is used to test if the mean values of the gammas are significantly different from zero. The tests were performed for four 5-year periods which are reported in Table 3. The mean of the gammas and their t-statistic are presented in Panel A for the utilities and in Panel B for the industrial firms.

The empirical results for the utility sample are reported in Panel A of Table 3. When monthly returns are used, 60 regressions were run to obtain 60 pairs of gammas for each of the 5-year periods. When daily returns are used, over 1200 regressions were run for each period to obtain the gammas. The results are similar: in all of the time periods tested, none of the average coefficients for beta and size are significantly different from zero. When weekly returns are used, 260 pairs of gammas were obtained. The average coefficients for beta are not significant in any test period, and the average coefficients for size are not significant in three of the test periods. For the test period of 1978-82, the average coefficient for size is significantly negative at a 5% level.

The test results for the industrial sample are reported in Panel B of Table 3. When monthly returns are used, the average coefficient estimates for size and beta are significant and have the expected sign only in the 1983-87 test period. When weekly returns are used, only the size variable is significantly negative in the 1978-82 period. When daily returns are used, the coefficient estimates for betas and size are not significant at any conventional level.

According to the CAPM, beta is the sole determinant of stock returns. It is expected that the coefficient for beta is significantly positive. However, the empirical findings reported in this study and in Fama and French (1992) only provide weak support for beta in explaining stock returns. The empirical findings in this study also suggest that the size effect varies over time. It is not unusual to document the firm size effect at certain time periods but not at others. Banz (1981) found that the size effect is not stable over time with substantial differences in the magnitude of the coefficient of the size factor (p.9, Table 1). Brown, Kleidon and Marsh (1983) not only have shown that size effect is not constant over time but also have reported a reversal of the size anomaly for certain years.

The research design of this study allows us to keep the sample, test period, and methodology the same with the holding-period being the only variable. The size effect is documented for the industrial sample in one of the four test periods when monthly returns are used and in another when weekly returns are used. When daily returns are used, no size effect is observed. For the utility sample, the size effect is significant in only one test period when weekly returns are used. When monthly and daily returns are used, no size effect is found. Therefore, this study concludes that the size effect is not only time-period specific but also holding-period specific.

### VI. Concluding Remarks

The fact that the two samples show different, though weak, results indicates that utility and industrial stocks do not share the same characteristics. First, given firm size, utility stocks are consistently less risky than industrial stocks. Second, industrial betas tend to decrease with firm size but utility betas do not. These findings may be attributed to the fact that all public utilities operate in an environment with regional monopolistic power and regulated financial structure. As a result, the business and financial risks are very similar among the utilities regardless of their sizes. Therefore, utility betas would not necessarily be expected to be related to firm size.

The objective of this study is to examine if the size effect exists in the utility industry. After controlling for equity values, there is some weak evidence that firm size is a missing factor from the CAPM for the industrial but not for the utility stocks. This implies that although the size phenomenon has been strongly documented for the industriales, the findings suggest that there is no need to adjust for the firm size in utility rate regulations.

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Table 1

Average Equity Size of the Utility Portfolios at the Beginning and End of the Test Period  
(Dollar figures in millions)

	A: Beginning (1968)	B: End (1987)
MV <sub>1</sub>	\$31	\$62
MV <sub>2</sub>	\$77	\$177
MV <sub>3</sub>	\$113	\$334
MV <sub>4</sub>	\$161	\$475
MV <sub>5</sub>	\$220	\$715
MV <sub>6</sub>	\$334	\$957
MV <sub>7</sub>	\$437	\$1,279
MV <sub>8</sub>	\$505	\$1,805
MV <sub>9</sub>	\$791	\$2,665
MV <sub>10</sub>	\$1,447	\$5,399

Table 2

Betas of the Two Samples at the Beginning and End of the Test Period

	<u>Monthly Betas</u>		<u>Weekly Betas</u>		<u>Daily Betas</u>	
	1963-67	1982-86	1963-67	1982-86	1963-67	1982-86
<b>Panel A: Industrial Firms</b>						
MV <sub>1</sub>	0.89	1.00	1.15	0.95	1.11	0.92
MV <sub>2</sub>	0.94	0.87	1.07	1.01	1.14	1.01
MV <sub>3</sub>	0.88	0.82	1.12	0.86	1.14	1.04
MV <sub>4</sub>	0.69	0.74	1.00	0.83	1.03	0.86
MV <sub>5</sub>	0.73	0.80	1.05	0.96	1.13	1.01
MV <sub>6</sub>	0.66	0.82	1.03	1.01	1.05	1.04
MV <sub>7</sub>	0.64	0.81	0.97	1.04	0.98	1.09
MV <sub>8</sub>	0.62	0.75	0.97	1.11	1.00	1.20
MV <sub>9</sub>	0.52	0.78	0.84	1.06	0.94	1.16
MV <sub>10</sub>	0.43	0.65	0.78	1.01	0.86	1.22
<b>Panel B: Public Utilities</b>						
MV <sub>1</sub>	0.30	0.37	0.31	0.43	0.30	0.40
MV <sub>2</sub>	0.28	0.38	0.37	0.47	0.36	0.44
MV <sub>3</sub>	0.22	0.42	0.33	0.42	0.31	0.49
MV <sub>4</sub>	0.27	0.35	0.36	0.52	0.34	0.54
MV <sub>5</sub>	0.25	0.45	0.37	0.61	0.35	0.62
MV <sub>6</sub>	0.25	0.41	0.39	0.54	0.40	0.65
MV <sub>7</sub>	0.20	0.35	0.34	0.54	0.37	0.63
MV <sub>8</sub>	0.17	0.38	0.34	0.65	0.33	0.68
MV <sub>9</sub>	0.19	0.34	0.35	0.60	0.34	0.71
MV <sub>10</sub>	0.18	0.29	0.38	0.59	0.39	0.71

Table 3

Tests on the Mean Coefficients of Beta ( $\gamma_1$ ) and Size ( $\gamma_2$ )

$$R_{pt} = \gamma_{\alpha} + \gamma_{1t}\hat{\beta}_{pt} + \gamma_{2t}\hat{S}_{pt} + U_{pt}$$

Returns Used:		Monthly (t-value)	Weekly (t-value)	Daily (t-value)
Panel A: Utility Sample				
1968-72	$\gamma_1$	-0.46% (-0.26)	-0.32% (-0.42)	-0.02% (-0.18)
	$\gamma_2$	-0.07% (-0.78)	-0.01% (-0.51)	-0.00% (-0.46)
1973-77	$\gamma_1$	-0.28% (-0.13)	0.14% (0.14)	-0.03% (-0.21)
	$\gamma_2$	-0.11% (-0.70)	-0.03% (-0.67)	-0.00% (-0.53)
1978-82	$\gamma_1$	0.55% (0.36)	0.54% (1.00)	0.05% (0.43)
	$\gamma_2$	-0.10% (-0.75)	-0.05% (-1.71)*	-0.01% (-1.60)
1983-87	$\gamma_1$	1.74% (1.28)	-0.24% (-0.51)	-0.02% (-0.18)
	$\gamma_2$	-0.16% (-1.54)	-0.03% (-0.86)	-0.01% (-0.63)
Panel B: Industrial Sample				
1968-72	$\gamma_1$	-0.36% (-0.27)	-0.28% (-0.55)	-0.02% (-0.32)
	$\gamma_2$	0.07% (0.43)	-0.01% (-0.19)	0.00% (0.51)
1973-77	$\gamma_1$	1.34% (0.64)	-0.23% (-0.31)	0.14% (1.45)
	$\gamma_2$	-0.01% (-0.06)	-0.04% (-0.85)	-0.00% (-0.64)
1978-82	$\gamma_1$	-0.84% (-0.28)	-0.56% (-0.91)	-0.09% (-0.81)
	$\gamma_2$	-0.29% (-0.75)	-0.01% (-1.72)*	-0.00% (-1.33)
1983-87	$\gamma_1$	2.51% (1.83)*	0.34% (0.64)	0.11% (1.40)
	$\gamma_2$	-0.25% (-1.90)*	-0.01% (-0.43)	0.00% (0.14)

\* Significant at the 5% level based on a one-tailed test.